Expected Value Analysis for Integrated Supplier Selection and Inventory Control of Multi-product Inventory System with Fuzzy Cost

by Widowati Widowati

Submission date: 10-Feb-2020 12:35PM (UTC+0700)

Submission ID: 1254554025

File name: ted_Value_Analysis_for_Integrated_Supplier_Selection_removed.pdf (445.37K)

Word count: 3590

Character count: 13788

Expected Value Analysis for Integrated Supplier Selection and Inventory Control of Multi-product Inventory System with Fuzzy Cost

Sutrisno a), Widowati b) and R. Heru Tjahjana c)

Department of Mathematics, Diponegoro University, Semarang, Indonesia

a)tresno.math@undip.ac.id b)Corresponding author: widowati_math@undip.ac.id c)heru_tjahjana@undip.ac.id

Abstract. The future cost in many industrial problem is obviously uncertain. Then a mathematical analysis for 10 problem with uncertain cost is needed. In this article, we deals with the fuzzy expected value analysis to solve an integrated supplier selection and supplier selection problem with uncertain cost where the costs uncertainty is approached by a fuzzy variable. We formulate the mathematical model of the problems fuzzy expected value based quadratic optimization with total cost objective function and solve it by using expected value based fuzzy programming. From the numerical examples result performed by the authors, the supplier selection problem was solved i.e. the optimal supplier was selected for each time period where the optimal product volume of all product that should be purchased from each supplier for each time period was determined and the product stock level was controlled as decided by the authors i.e. it was followed the given reference level.

INTRODUCTION

In logistic and supply chain management (LSCM), commonly a manufacturer faces supplier selection problem which can be presented as an optimal supplier finding to supply some raw material or product to the manufacturer with minimal total cost [1]. The most developed method to find the optimal supplier is mathematical model method in a mathematical optimization form such as mixed-integer linear programming that was developed in [2], [3] . To meet the demand for the future period, the manufacturer can store some product in the storage where the holding cost is charged. Commonly, the stored product is to be minimized in order to minimize the holding cost, but for some cases like retail manufacture, the decision maker is deciding to store the product as many he want which can be called set point inventory level. To minimize the total cost so that the inventory level as close as possible to a set point level, a reference tracking control method is needed. The most published articles was developed a method to solve the supplier selection with known demand value i.e. the demand value of all product at each time period is certainly measured. Unfortunately, there are many case that the demand value is unknown which can be called uncertain demand. To solve this problem, the uncertainty theory is needed. Since it was introduced in [4], possibility theory 8 is being powerful tool to solve many problems in uncertain environment mainly in fuzzy optimization. Inspired by expected value of a random variable in probabilistic theory, the expected value of a fuzzy variable was introduced in [5] to solve a fuzzy programming. Many researchers were successfully utilized fuzzy expected value approach to solve many problems like data envelopment analysis [6]-[8], industrial grinding process [9], [10], portfolio optimization [11]-[13] and many more. In this paper, we propose a mathematical model in quadratic programming with fuzzy parameter to determine the optimal strategy for integrated inventory control and supplier selection problem with fuzzy demand where the corresponding optimization will be solved by using expected value based fuzzy programming approach. Numerical experiment will be performed to evaluate the proposed model and to analyze the optimal strategy for this problem.

MATHEMATICAL MODEL

We are assuming that the inventory control problem that will be solved is covering multi-product, multi supplier and multi period. Let the variables and parameters that we are used for mathematical model formulation are:

T : Set of time period;
S : Set of supplier;
P : Set of p15 duct;

 $X_{t,sp}$: Volume of production $p \in P$ from supplier $s \in S$ at time period $t \in T$;

 \widetilde{UP}_{tsp} : Fuzzy unit price of p 5 luct $p \in P$ from supplier $s \in S$ at time period $t \in T$; TC_{ts} : Fuzzy transportation cost of all product from supplier $s \in S$ at time period $t \in T$; Y_{ts} : Supplier assignment $s \in S$ at time period $t \in T$ (1 if X_{tsp} ; S_{tsp} xist, 0 if none); C_{tsp} : Supplying capacity of supplier $s \in S$ for product $p \in P$ at time period S_{tsp} S_{tsp}

 UPC_{tsp} : Unit penalty cost for defect product unit $p \in P$ from supplier $s \in S$ at time period $t \in T$; UDC_{tsp} : Unit delay cost for delayed product unit $p \in P$ from supplier $s \in S$ at time period $t \in T$;

DLT_{tsp} : Delay lead tite of product $p \in P$ from supplier $s \in S$ at time period $t \in T$; Q_{tsp} : Quality level of 4 roduct $p \in P$ at time period $t \in T$ from supplier $s \in S$;

: 4 ventory level of product $p \in P$ at time period $t \in T$;

 M_p : Storage capacity of product $p \in P$; B_t : Cost budget 4 ime period $t \in T$;

 C_{tp} : Holding cost of product $p \in P$ at time 3 riod $t \in T$.

The mathemas cal model that we are modeling will follow the general form of expected value based fuzzy programming model. The general form of expected value based fuzzy programming fuzzy objective and fuzzy constraint can be expressed as follows

$$\begin{cases}
\min f(x,\xi) \\
\text{s.t. } g_i(x,\xi) \geqslant 0, i = 1, 2, \dots, p,
\end{cases} \tag{1}$$

where $f(x,\xi)$ is the objection and $g_i(x,\xi)$ are constraint functions in (1) are not produce a crisp feet ble set. To determine the optimal decision x in (1), a fuzzy expected value model was proposed by Liu and Liu [14] as follows

$$\begin{cases}
\min E\left[f\left(x,\xi\right)\right] \\
\text{s.t. } E\left[g_{i}\left(x,\xi\right)\right] \ge 0, i = 1,2,\dots,p,
\end{cases}$$
(2)

1

where $E[\cdot]$ denotes the expected value defined by

$$E\left[\xi\right] = \int_{0}^{\infty} Cr\left\{\xi \ge r\right\} dr - \int_{-\infty}^{0} Cr\left\{\xi \le r\right\} dr \tag{3}$$

provided that at least one of the two integrals is finite and $Cr[\cdot]$ denotes the credibility value. An important result in fuzzy expected value of linear function of fuzzy variable. Suppose independent fuzzy variables ξ and ζ with finite expected values, then

$$E[a\xi + b\varsigma] = aE[\xi] + E[\varsigma]$$
(4)

10 ere a and b are arbitrary real number. With fuzzy variables \widehat{UP}_{tsp} and \widehat{TC}_{ts} , we propose the following mathematical model to solve an integrated supplier selection and inventory control:

$$\min Z = E \begin{bmatrix} \sum_{t=1}^{T} \sum_{s=1}^{S} \sum_{p=1}^{P} X_{tsp} \cdot \widetilde{UP}_{tsp} + \sum_{t=1}^{T} \sum_{s=1}^{S} \widetilde{TC}_{ts} \cdot Y_{ts} + \sum_{t=1}^{T} \sum_{s=1}^{S} \sum_{p=1}^{P} (1 - Q_{tsp}) \cdot UPC_{tsp} \cdot X_{tsp} \cdot Y_{ts} \\ + \sum_{t=1}^{T} \sum_{s=1}^{S} \sum_{p=1}^{P} UDC_{tsp} \cdot DLT_{tsp} \cdot X_{tsp} \cdot Y_{ts} + \sum_{t=1}^{T} \sum_{p=1}^{P} HC_{tp} \cdot I_{tp} + \sum_{t=1}^{T} \sum_{p=1}^{P} (I_{tp} - r_{tp})^{2} \end{bmatrix} \\ = \sum_{t=1}^{T} \sum_{s=1}^{S} \sum_{p=1}^{P} X_{tsp} \cdot E \left[\widetilde{UP}_{tsp} \right] + \sum_{t=1}^{T} \sum_{s=1}^{S} E \left[\widetilde{TC}_{ts} \right] \cdot Y_{ts} + \sum_{t=1}^{T} \sum_{s=1}^{S} \sum_{p=1}^{P} (1 - Q_{tsp}) \cdot UPC_{tsp} \cdot X_{tsp} \cdot Y_{ts} \\ + \sum_{t=1}^{T} \sum_{s=1}^{S} \sum_{p=1}^{P} UDC_{tsp} \cdot DLT_{tsp} \cdot X_{tsp} \cdot Y_{ts} + \sum_{t=1}^{T} \sum_{p=1}^{P} HC_{tp} \cdot I_{tp} + \sum_{t=1}^{T} \sum_{p=1}^{P} \left(I_{tp} - r_{tp} \right)^{2} \end{bmatrix}$$

$$(5)$$

subject to:

$$\sum_{s=1}^{s} X_{tsp} - I_{tp} \ge D_{tp}, \text{ for } t = 1, \forall p \in P, \text{ and } V_{t-1,p} + \sum_{s=1}^{s} X_{tsp} - V_{tp} \ge D_{tp}, \text{ for } t > 1, t \in T, \forall p \in P.$$
 (6)

$$\left(\sum_{p=1}^{P} D_{tp}\right) Y_{ts} \ge \sum_{p=1}^{P} X_{tsp}, \forall t \in T, \forall s \in S,$$
 (7)

$$X_{tsp} \le S C_{tsp}, \forall t \in T, \forall s \in S, \forall p \in P,$$
 (8)

$$Y_{ts} = \begin{cases} 1, & \text{if } \Sigma_{p=1}^{p} X_{tsp} > 0 \\ 0, & \text{others} \end{cases}, \forall t \in T, \forall s \in S, \tag{9}$$

$$I_{tp} \le M_{tp}, \forall t \in T, \forall p \in P, \tag{10}$$

$$E\left[\sum_{s=1}^{S} \sum_{p=1}^{P} X_{tsp} \cdot \widetilde{UP}_{tsp} + \sum_{s=1}^{S} \widetilde{TC}_{ts} \cdot Y_{ts}\right] + \sum_{s=1}^{S} \sum_{p=1}^{P} (1 - Q_{tsp}) \cdot UPC_{tsp} \cdot X_{tsp} \cdot Y_{ts} + \sum_{s=1}^{S} \sum_{p=1}^{P} UDC_{tsp} \cdot DLT_{tsp} \cdot X_{tsp} \cdot Y_{ts} + \sum_{p=1}^{P} HC_{tp} \cdot I_{tp} + \sum_{t=1}^{T} \sum_{p=1}^{P} (I_{tp} - r_{tp})^{2} \le B_{t}, \forall t \in T,$$

$$(11)$$

$$X_{tsp} \ge 0, \forall t \in T, \forall s \in S, \forall p \in P,$$
 (12)

$$X_{tsp}, I_{tp}, \forall t \in T, \forall s \in S, \forall p \in P \text{ integer},$$
 (13)

where the objective function Z is the fuzzy expected value of total cost which contains the fuzzy product buying cost for all product from all supplier for all time period, fuzzy transportation cost, penalty cost for under quality service level product, penalty cost for delayed product and holding cost. Furthermore, the last term in Z is used for inventory level reference tracking objectives. Constraint (6) is used to manage the inventory where as constraint (7) is used to obtain the suppliers assignment value. Constraints (8) - (13) are used for supplier capacity bound, suppliers assignment purposes, storage capacity bound, budget bound, non-negativity bound and integer constraint respectively.

NUMERICAL EXAMPLE

Suppose a mt/7 facturer will purchase three products P1, P2, P3 from four suppliers S1, S2, S3, S4 for 10 future 16 time periods. Let the initial inventory level is 0. Given that the unit price for product p from supplier s at time period t is a fuzzy variable whose membership function

$$\mu_{\widetilde{UP}_{tsp(3)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(1)}$$

$$\mu_{\widetilde{UP}_{tsp(2)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(2)}$$

$$\mu_{\widetilde{UP}_{tsp(3)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(3)}$$

$$\mu_{\widetilde{UP}_{tsp(4)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(4)}$$

$$\mu_{\widetilde{UP}_{tsp(5)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(5)}$$

$$\mu_{\widetilde{UP}_{tsp(6)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(6)}$$

$$\mu_{\widetilde{UP}_{tsp(7)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(7)}$$

$$\mu_{\widetilde{UP}_{tsp(3)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(8)}$$

$$\mu_{\widetilde{UP}_{tsp(3)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(9)}$$

$$\mu_{\widetilde{UP}_{tsp(3)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(9)}$$

$$\mu_{\widetilde{UP}_{tsp(10)}} \text{ if } \widetilde{UP}_{tsp} = \widetilde{UP}_{tsp(10)}$$

$$0, \text{ others}$$

$$(14)$$

and

$$\mu_{\overline{TC}_{ts}} = \begin{cases} \mu_{\overline{TC}_{ts(i)}} & \text{if } \widetilde{TC}_{ts} = \widetilde{TC}_{ts(i)} \\ 0, & \text{others} \end{cases}$$
 (15)

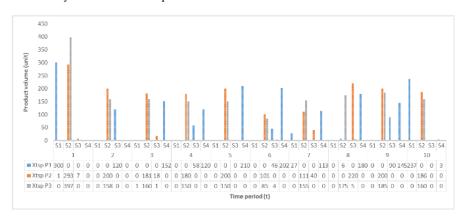
wherethe values of $\widetilde{\operatorname{UP}}_{tsp(i)}$, $\mu_{\widetilde{UP}_{tsp(i)}}$, $\widetilde{TC}_{ts(i)}$ and $\mu_{\widetilde{TC}_{ts(i)}}$ are available in Appendix 2. The expected value of $\widetilde{\operatorname{UP}}_{tsp}$ and $\widetilde{\operatorname{TC}}_{ts}$ are

$$E\left[\widetilde{\mathrm{UP}}_{tsp}\right] = \sum_{i=1}^{10} w_{\widetilde{UP}tsp(i)} \left(\widetilde{\mathrm{UP}}_{tsp(i)}\right) \tag{16}$$

and

$$E\left[\widetilde{TC}_{tsp}\right] = \sum_{i=1}^{10} w_{\overline{TC}tsp(i)} \left(\widetilde{TC}_{tsp(i)}\right) \tag{17}$$

respectively where the values of $15_{IP_{LSP}(i)}$ and $W_{TC_{LSP}(i)}$ are available in Appendix 2. We solve (5) in LINGO 16.0 with Windows 8 Operating System, 4 GB of memory and AMD A6 2.7 GHz of processor. The solution is given in Fig. 1-Fig. 2. Figure 1 shows the optimal values of X_{LSP} , $\forall t \in T$, $\forall s \in S$, $\forall p \in P$, which is the optimal volume of product P1, P2 and P3that should be purchased each from supplier S1, S2, S3 and S4for time periods 1 to 10. The reference inventory level of product P1, P2 and P3 decided by the decision maker are shown by Fig. 2. Fig. 2 also shows optimal values of I_{LP} , $\forall t \in T$, $\forall p \in P$, which is the optimal volume of product P1, P2 and P3 that should be stored in the warehouse the inventory level is as close as possible to the reference level.



 $\textbf{FIGURE 1.} \ Optimal \ product \ volume \ that \ should \ be \ purchased \ from \ each \ supplier \ for \ time \ periods \ 1 \ to \ 10$

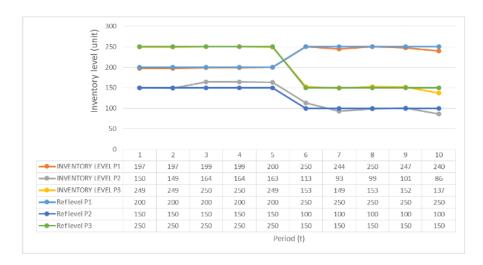


FIGURE 2. Inventory level and reference level in the first example

From Fig. 1, the optimal strategy for each time period is decided as follows. At time period 1, 300 unit of product P1 and 1 unit of product P2 are should be purchased from supplier S1 whereas 293 units of product P2 and 397 units of product P3 are should be purchased from supplier S2 and finally 7 unit of product P2 is should be purchased from supplier S3. The optimal decision for other time periods are can be derived analogously. Fig. 2 shows the product volume of all product that should be stored in the warehouse so that the inventory level of all product follows the desired (reference) level decided by the decision maker. From Fig 2, it can be conclude that the inventory level follows the reference level well.

CONCLUSIONS

The integrated inventory reference control and supplier selection of multi-product multi-supplier multi-period with fuzzy purchase cost and fuzzy transportation cost was considered. A mathematical model was formulated in fuzzy expected value based quadratic programming by approaching the fuzziness of the purchase cost and transportation cost as fuzzy variable and using fuzzy expected value to formulate the corresponding crisp optimization. LINGO 16.0 was used to solve the corresponding optimization with integer quadratic programming of the model class. From the performed numerical example, it was concluded that the optimal strategy i.e. the product volume of all product that should be purchased from each supplier at each time period was determined and the stock level of the product followed the reference level given by the decision maker.



The authors would like to thank Diponegoro University for funding support under DIPA PNBP Professorship Research Program 2017.

REFERENCES

- [1] M. Christopher, Logistics and Supply Chain Management (Pearson Education, 2011).
- [2] N. R. Ware, S. P. Singh, and Banwet, Expert Syst. Appl. 41, 671–978 (2014).
- [3] S. S. Kara, Expert Syst. Appl. 38, 2133–2139 (2011).
- [4] L. A. Zadeh, Fuzzy Sets Syst. 1, 2–28 (1978).
- [5] B. Liu and Y. K. Liu, IEEE Trans. Fuzzy Syst 10, 445–450 (2002).

- [6] C. V. Shiraz, R. K. and L. Jalalzadeh, Expert Syst. Appl. 41, 434–444 (2014).
- [7] K.-S. Wang, Y.-M. & Chin, Expert Syst. Appl. 38, 11678–11685 (2011).
- [8] M.-R. Ghasemi, J. Ignatius, S. Lozano, A. Emrouznejad, and A. Hatami-Marbini, Knowledge-Based Syst. 89, 148–159 (2015).
- [9] N. Virivinti and K. Mitra, Powder Technol 268, 9–18 (2014).
- [10] D. Li, Computers & Industrial Engineering Notes 73, 1–4 (2014).
- [11] B. Wang, Y. Li, and J. Watada, Inf. Sci. (Ny) 385, 1–18 (2017).
- [12] G. Gupta, P.and Mittal and M. K. Mehlawat, Insur. Math. Econ. 52, 190–203 (2013).
- [13] A. M. Moussa, J. S. Kamdem, and M. Terraza, Econ. Model. 39, 247–256 (2014).
- [14] B. Liu, Theory and Practice of Uncertain Programming (Springer-Verlag Berlin Heidelberg, 2009).

Appendix 1. Parameter values for numerical experiment

	Supplie	er Capacity (SC	Ctsp)								
Periode	Suppliers	Products									
Periode	Suppliers	P1	P2	P3							
	S1	1100	1200	1300							
all	S2	1400	1200	1100							
all	S3	1400	800	1200							
	S4	1200	1000	850							

	DELAY PENALTY COST (UDCtsp)											
Period	Cumplion		Products									
Pelloc	Supplier	P1	P2	Р3								
	S1	0.75	0.1	1								
all	S2	0.5	0.85	1								
all	S3	0.85	1	0.85								
	S4	1	0.9	0.95								

	D	EFECT RAT	E (Qtsp)	
Period	Supplier	P1	P2	P3
	S1	0.010	0.000	0.010
all	S2	0.020	0.001	0.010
all	S3	0.000	0.020	0.025
	S4	0.015	0.005	0.020

	L	ATE RATE (DLTtsp)	
Period	Supplier	P1	P2	P3
	S1	0.000	0.000	0.002
all	S2	0.000	0.000	0.010
all	S3	0.020	0.010	0.001
	S4	0.025	0.000	0.000

ŀ	HOLDING C	OST (HCtp)	
Period		Products	
renou	P1	P2	P3
all	1	1	1.5

DEFECT PENALTI COST (UPCtsp)											
Period		Products									
Period	Supplier	P1	P2	P3							
	S1	0.50	0.50	0.70							
all	S2	0.75	1.00	0.80							
dii	S3	0.75	0.25	0.75							
	S4	0.55	1.00	0.85							

	Storage c	apacity (M	tp)
Period	P1	P2	Р3
all	500	550	650

Period	Budget
1	450000
2	450000
3	400000
4	500000
5	450000
6	400000
7	550000
8	450000
9	500000
10	500000

DEMAND									
Period	P1	P2	Р3						
1	100	150	140						
2	120	200	160						
3	150	180	160						
4	180	180	150						
5	210	200	150						
6	200	150	185						
7	150	170	155						
8	180	210	175						
9	240	200	185						
10	250	200	175						

Appendix 2. Membership functions for $\widetilde{\mathrm{UP}}_{tsp}$ and $\widetilde{\mathrm{TC}}_{ts}$

	Uptsp(i)														M	MBERS	HIPVA	.UE of L	lptsp(i)				
Complian	Produ						i					Supplier	Produ						i				
Supplier	ct	ss 1	ss2	ss3	ss4	ss5	ss6	ss7	ss8	ss9	ss10	Supplier	ct	1	2	3	4	5	6	7	8	9	10
	P1	17	17.5	18	18.5	19	19.5	20	20.5	21	21.5		P1	0.1	0.2	0.4	0.8	1	0.9	0.8	0.5	0.2	0.01
S1	P2	27	27.5	28	28.5	29	29.5	30	30.5	31	31.5	S1	P2	0.1	0.2	0.4	0.8	1	0.9	0.8	0.5	0.2	0.01
	Р3	22	22.5	23	23.5	24	24.5	25	25.5	26	26.5		P3	0.1	0.2	0.4	0.8	1	0.9	0.8	0.5	0.2	0.01
	P1	17	17.5	18	18.5	19	19.5	20	20.5	21	21.5		P1	0.02	0.45	0.5	0.9	1	0.75	0.65	0.4	0.2	0.1
S2	P2	27	27.5	28	28.5	29	29.5	30	30.5	31	31.5	S2	P2	0.02	0.45	0.5	0.9	1	0.75	0.65	0.4	0.2	0.1
	Р3	22	22.5	23	23.5	24	24.5	25	25.5	26	26.5		P3	0.02	0.45	0.5	0.9	1	0.75	0.65	0.4	0.2	0.1
	P1	17	17.5	18	18.5	19	19.5	20	20.5	21	21.5		P1	0.1	0.2	0.45	0.55	0.75	0.85	1	0.65	0.4	0.2
S3	P2	27	27.5	28	28.5	29	29.5	30	30.5	31	31.5	S3	P2	0.1	0.2	0.45	0.55	0.75	0.85	1	0.65	0.4	0.2
	Р3	22	22.5	23	23.5	24	24.5	25	25.5	26	26.5		P3	0.1	0.2	0.45	0.55	0.75	0.85	1	0.65	0.4	0.2
	P1	17	17.5	18	18.5	19	19.5	20	20.5	21	21.5		P1	0.1	0.2	0.45	0.55	0.75	1	0.65	0.4	0.25	0.15
S4	P2	27	27.5	28	28.5	29	29.5	30	30.5	31	31.5	S4	P2	0.1	0.2	0.45	0.55	0.75	1	0.65	0.4	0.25	0.15
	Р3	22	22.5	23	23.5	24	24.5	25	25.5	26	26.5		Р3	0.1	0.2	0.45	0.55	0.75	1	0.65	0.4	0.25	0.15

	WEIGHT VALUE (w_UPtsp(i))												
Supplier	Produ						i						
Supplier	ct	ss1	ss2	ss3	ss4	ss5	ss6	ss7	ss8	ss9	ss10		
	P1 0.0		0.05	0.1	0.2	0.15	0.05	0.15	0.15	0.095	0.005		
S1	P2	0.05	0.05	0.1	0.2	0.15	0.05	0.15	0.15	0.095	0.005		
	P3	0.05	0.05	0.1	0.2	0.15	0.05	0.15	0.15	0.095	0.005		
	P1	0.01	0.215	0.025	0.2	0.175	0.05	0.125	0.1	0.05	0.05		
S2	P2	0.01	0.215	0.025	0.2	0.175	0.05	0.125	0.1	0.05	0.05		
	P3	0.01	0.215	0.025	0.2	0.175	0.05	0.125	0.1	0.05	0.05		
	P1	0.05	0.05	0.125	0.05	0.1	0.05	0.25	0.125	0.1	0.1		
S3	P2	0.05	0.05	0.125	0.05	0.1	0.05	0.25		0.1	0.1		
	P3	0.05	0.05	0.125	0.05	0.1	0.05	0.25	0.125	0.1	0.1		
	P1	0.05	0.05	0.125	0.05	0.1	0.3	0.125	0.075	0.05	0.075		
S4	P2	0.225	0.025	0.075	0.075	0.075	0.1	0.05	0.075	0.025	0.275		
	P3	0.225	0.025	0.075	0.075	0.075	0.1	0.05	0.075	0.025	0.275		

			Me	mbersl	hip valu	e (miu_	TCts(i)															
Time	1																					
period	er	1	2	3	4	5	6	7	8	9	10											
	S1	0.15	0.35	0.75	0.92	1	0.95	0.82	0.55	0.3	0.1											
-11	52	0.25	0.55	0.75	0.85	1	0.95	0.8	0.55	0.25	0.1											
all	S3	0.35	0.62	0.74	0.92	1	0.98	0.79	0.58	0.42	0.35											
	54	0.25	0.55	0.75	0.95	1	0.95	0.72	0.68	0.25	0.1											
				WEIGH	TVALUE	E (w_TC	ts(i))										TCts	(i)				
Time	Suppli						i					Time	Suppli						i	i	i	i
period	er	1	2	3	4	5	6	7	8	9	10	period	er	1	2	3	4	5	6	6 7	6 7 8	6 7 8 9
	S1	0.075	0.1	0.2	0.085	0.065	0.065	0.135	0.125	0.1	0.05		S1	300	310	320	330	340	350	350 360	350 360 370	350 360 370 380
all	S2	0.125	0.15	0.1	0.05	0.1	0.075	0.125	0.15	0.075	0.05		S2	300	310	320	330	340	350	350 360	350 360 370	350 360 370 380
all	S3	0.175	0.135	0.06	0.09	0.05	0.095	0.105	0.08	0.035	0.175	all	S3	300	310	320	330	340	350	350 360	350 360 370	350 360 370 380
	54	0.125	0.15	0.1	0.1	0.05	0.115	0.02	0.215	0.075	0.05		S4	300	310	320	330	340	350	350 360	350 360 370	350 360 370 380

Expected Value Analysis for Integrated Supplier Selection and Inventory Control of Multi-product Inventory System with Fuzzy Cost

Cos	st				
ORIGI	NALITY REPORT				
SIMIL	3% LARITY INDEX	4% INTERNET SOURCES	11% PUBLICATIONS	6% STUDENT PA	\PERS
PRIMA	ARY SOURCES				
1	_	Liu. "A survey of ptimization and C		_	1%
2	Submitte Student Paper	ed to Middle East	Technical Uni	versity	1%
3	Uncertai Internati	He. "An Evolution Policy on al Conference ring and Computer	roblems", 2009 on Information	9 1	1%
4	approac	C.A "A simultant th for off-line blend ery operations", C al Engineering, 20	ding and sche	duling of	1%
5	•	odrigues, Cristina n problem with qu		• •	1%

price changes: A heuristic approach", RAIRO -

6	Fa-Chao Li, Xian-Lei Liu, Chen-Xia Jin. "Stochastic Programming Methods Based on Synthesizing Effect Function and Its Application for the Measures Program of Oilfield", 2009 Second International Conference on Intelligent Computation Technology and Automation, 2009 Publication	1%
7	Baoding Liu. "Uncertainty Theory", Springer Science and Business Media LLC, 2015 Publication	1%
8	Submitted to Indian Institute of Technology, Kharagpure Student Paper	1%
9	Shih-Pin Chen, Pei-Chi Chang. "A mathematical programming approach to supply chain models with fuzzy parameters", Engineering Optimization, 2006 Publication	1%
10	Sourour Aouadni, Ismahene Aouadni, Abdelwaheb Rebaï. "A systematic review on supplier selection and order allocation problems", Journal of Industrial Engineering International, 2019 Publication	1%

	and Knowledge-Based Systems, 2011 Publication	
12	eis.hu.edu.jo Internet Source	<1%
13	Junyan Wang, Ruiqing Zhao, Wansheng Tang. "Fuzzy programming models for vendor selection problem in a supply chain", Tsinghua Science and Technology, 2008 Publication	<1%
14	Cuiwen Cao, Xingsheng Gu, Zhong Xin. "Credibility Fuzzy Chance Constrained Models for Crude Oil Scheduling and Storage Management", 2008 Fifth International Conference on Fuzzy Systems and Knowledge Discovery, 2008 Publication	<1%
15	Yunqiang Jiao, Hongye Su, Weifeng Hou, Zuwei Liao. "Optimization of refinery hydrogen network based on chance constrained programming", Chemical Engineering Research and Design, 2012 Publication	<1%
16	Guoyong Wang, Ruiqing Zhao, Huaili Yun.	<1%

"SPSA Algorithm for Fuzzy Block Replacement

FUZZY PROGRAMMING APPROACH FOR

International Journal of Uncertainty, Fuzziness

SUPPLY CHAIN NETWORK DESIGN",

1%

Policy", The 14th IEEE International Conference on Fuzzy Systems, 2005. FUZZ '05., 2005

Publication

Exclude quotes

Exclude bibliography

Off

Submitted to University of Edinburgh <1% 17 Student Paper "Some Transportation Problems Under 18 Uncertain Environments", Lecture Notes in Computer Science, 2015. Publication Yu Wang. "Two Fuzzy Models for Multilayer Air <1% 19 Defense Disposition in Fuzzy Environment", Advances in Intelligent and Soft Computing, 2009 Publication

Exclude matches

Off